

- Q1: Is it possible to build arbitrarily reliable Systems out of unreliable components?
- Q2: Can we achieve consensus in the presence of faults (consensus: all non-faulty components agree on action)?
- Q3: Is there an algorithm to determine for a system with a given setting of access control permissions, whether or not a Subject A can obtain a right on Object B?

2 Models per Question !

Q1: Can we build arbitrarily reliable Systems out of unreliable components ?

- How to build reliable systems from less reliable components
- Fault(Error, Failure, Fault, ....)  
terminology in this lecture synonymously used for  
“something goes wrong”  
(more precise definitions and types of faults in SE)

## Reliability:

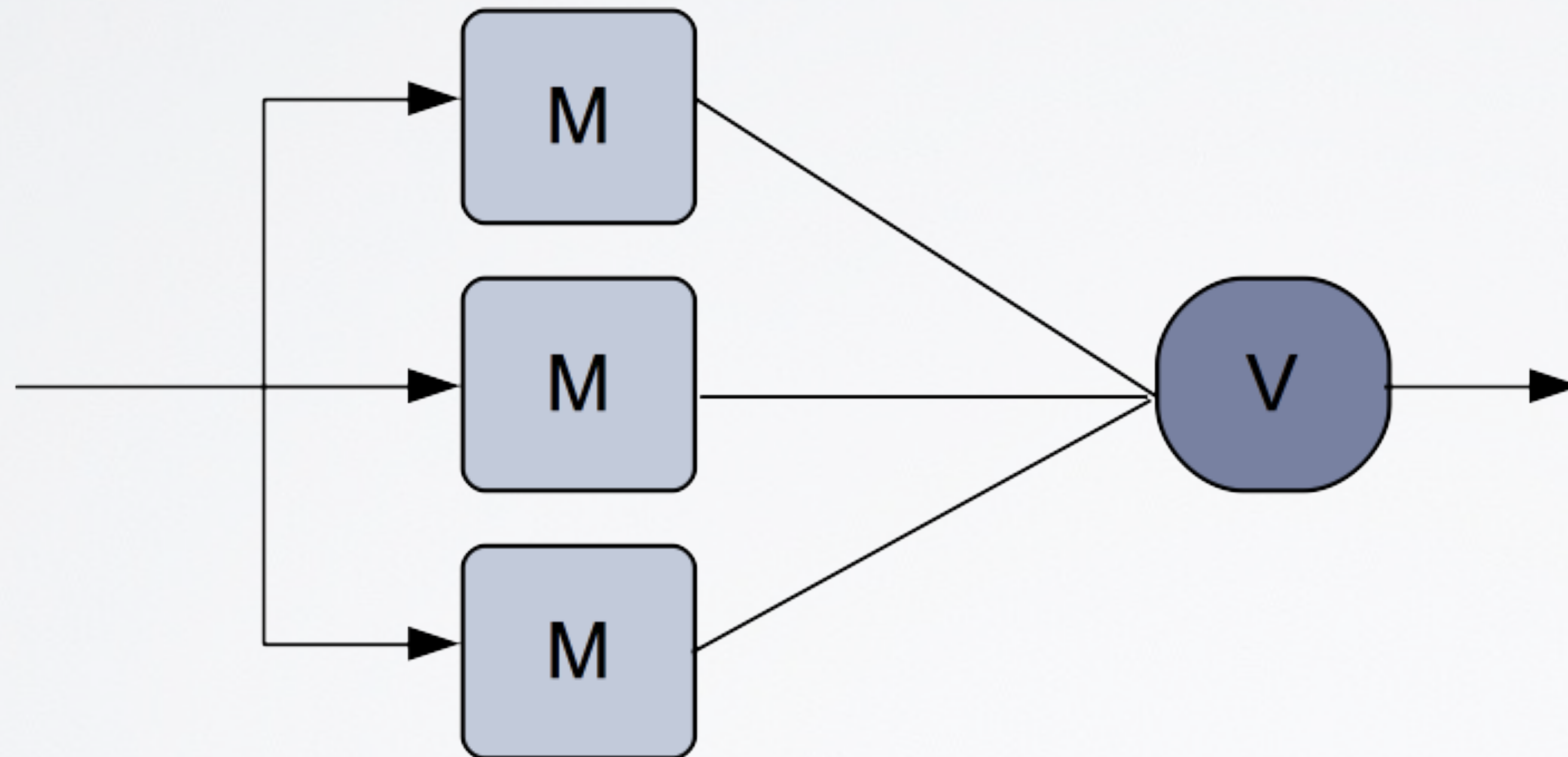
- $R(t)$ : probability for a system to survive time  $t$

## Availability:

- $A$ : fraction of time a system works

- Fault detection and confinement
  - Recovery
  - Repair
- 
- Redundancy
    - Information
    - time
    - structural
    - functional

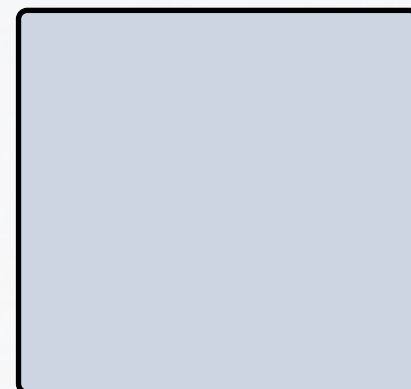
John v. Neumann  
Voter: *single point of failure*



Can we do better  
→ distributed solutions?

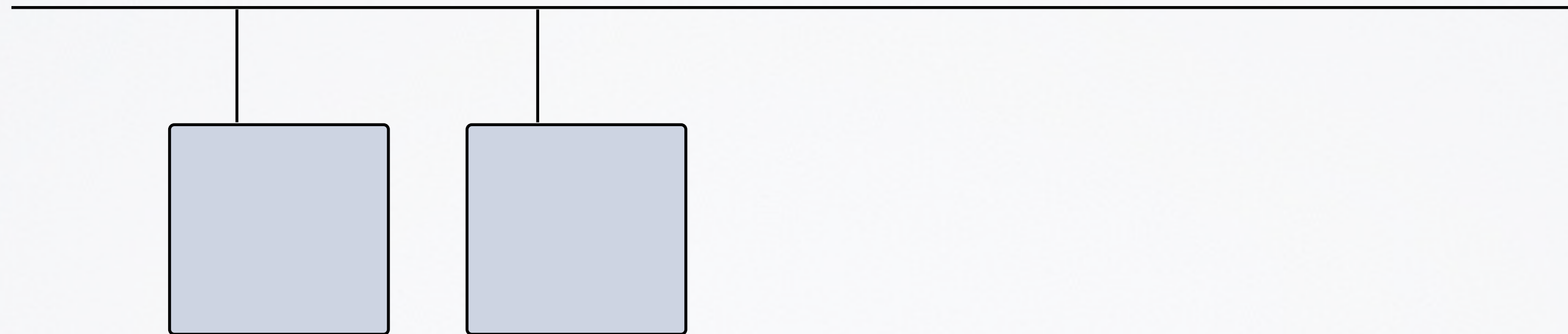
## Parallel-Serial-Systems

(Pfitzmann/Härtig 1982)



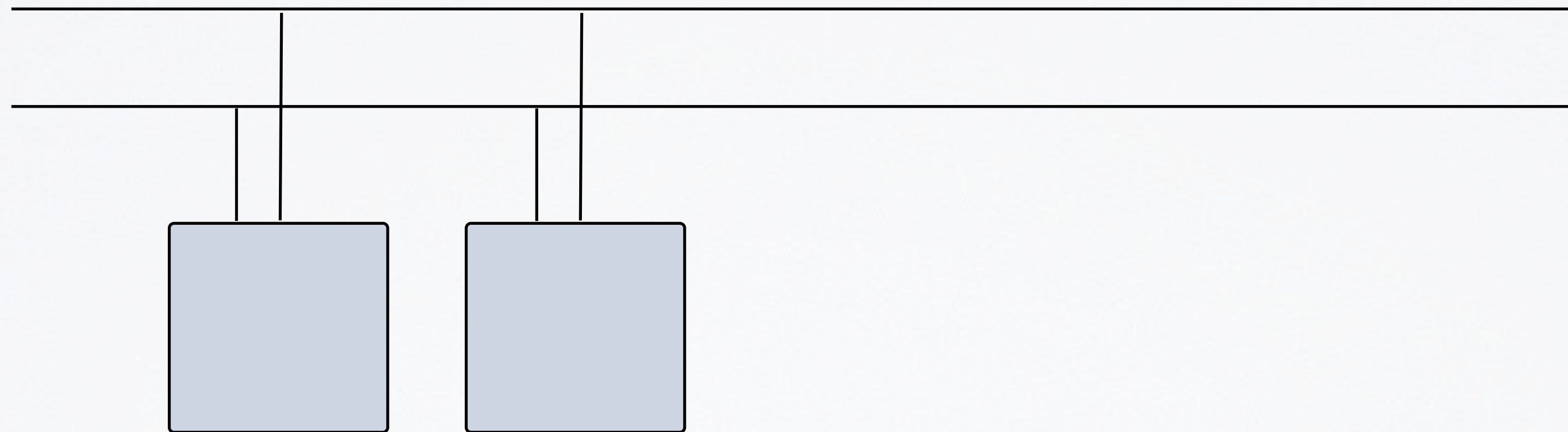
## Parallel-Serial-Systems

(Pfitzmann/Härtig 1982)



## Parallel-Serial-Systems

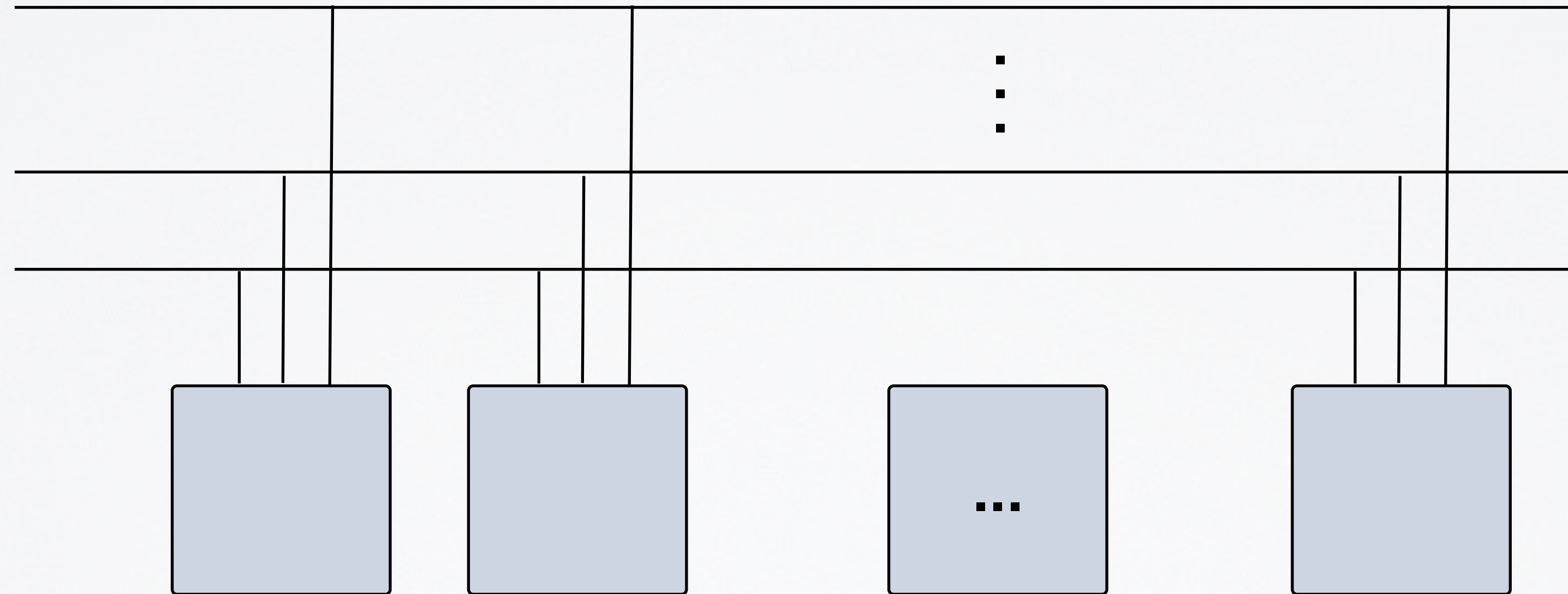
(Pfitzmann/Härtig 1982)



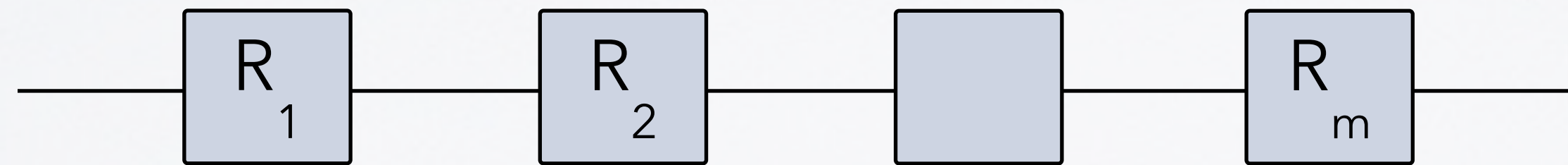


## Parallel-Serial-Systems

(Pfitzmann/Härtig 1982)



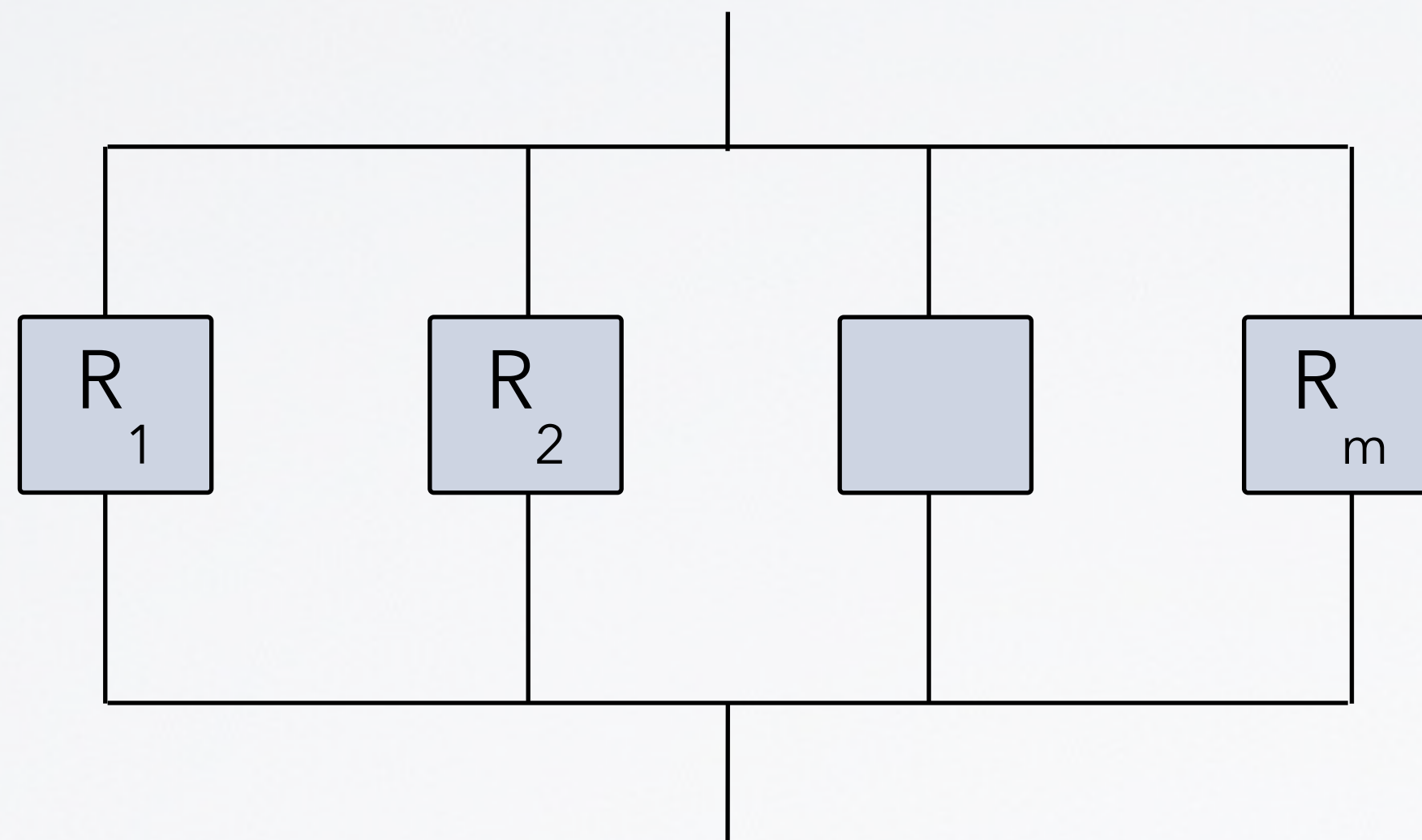
## Serial-Systems



$$R_{whole} = \prod_{j=1}^m R_j$$

Each component must work for the whole system to work.

## Parallel-Systems

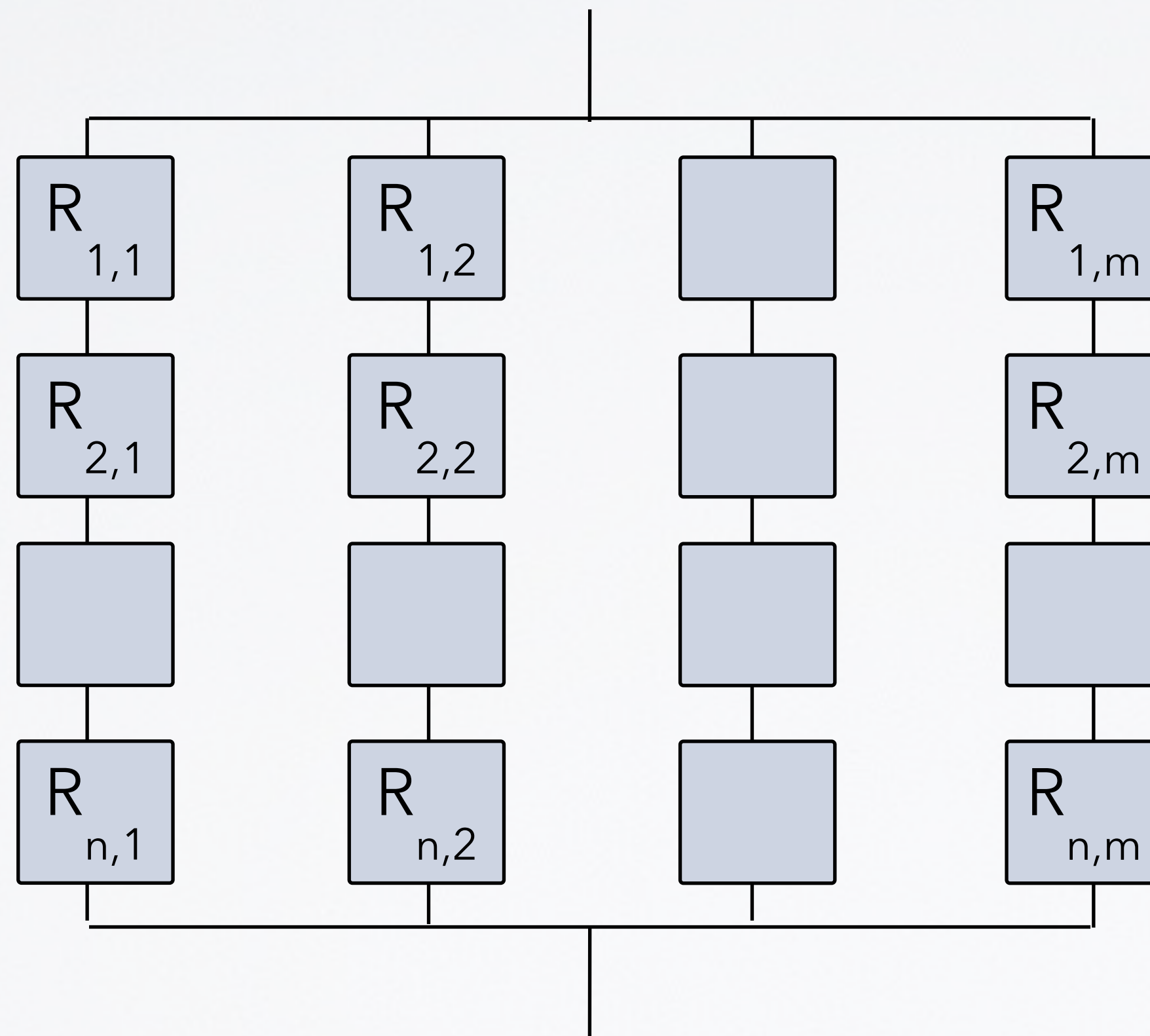


$$R_{whole} = 1 - \prod_{i=1}^m (1 - R_i)$$

One component must work for the whole system to work.

Each component must fail for the whole system to fail.

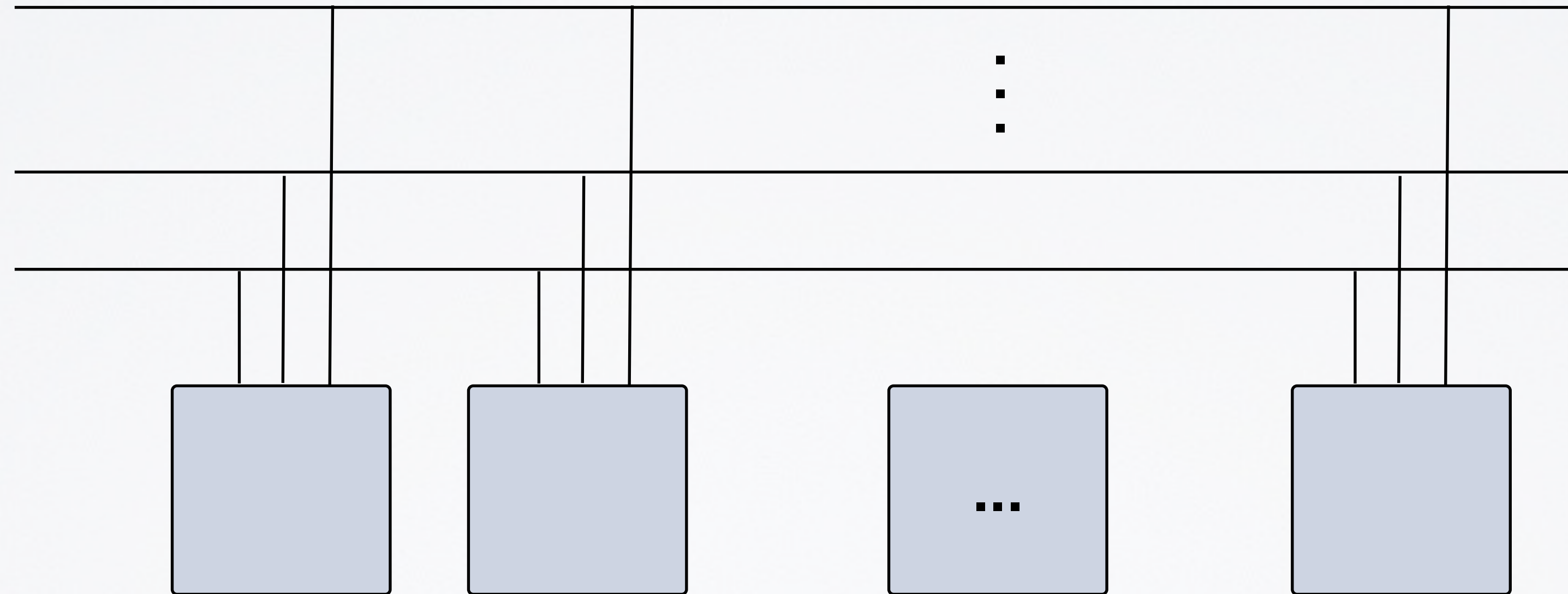
## Serial-Parallel-Systems

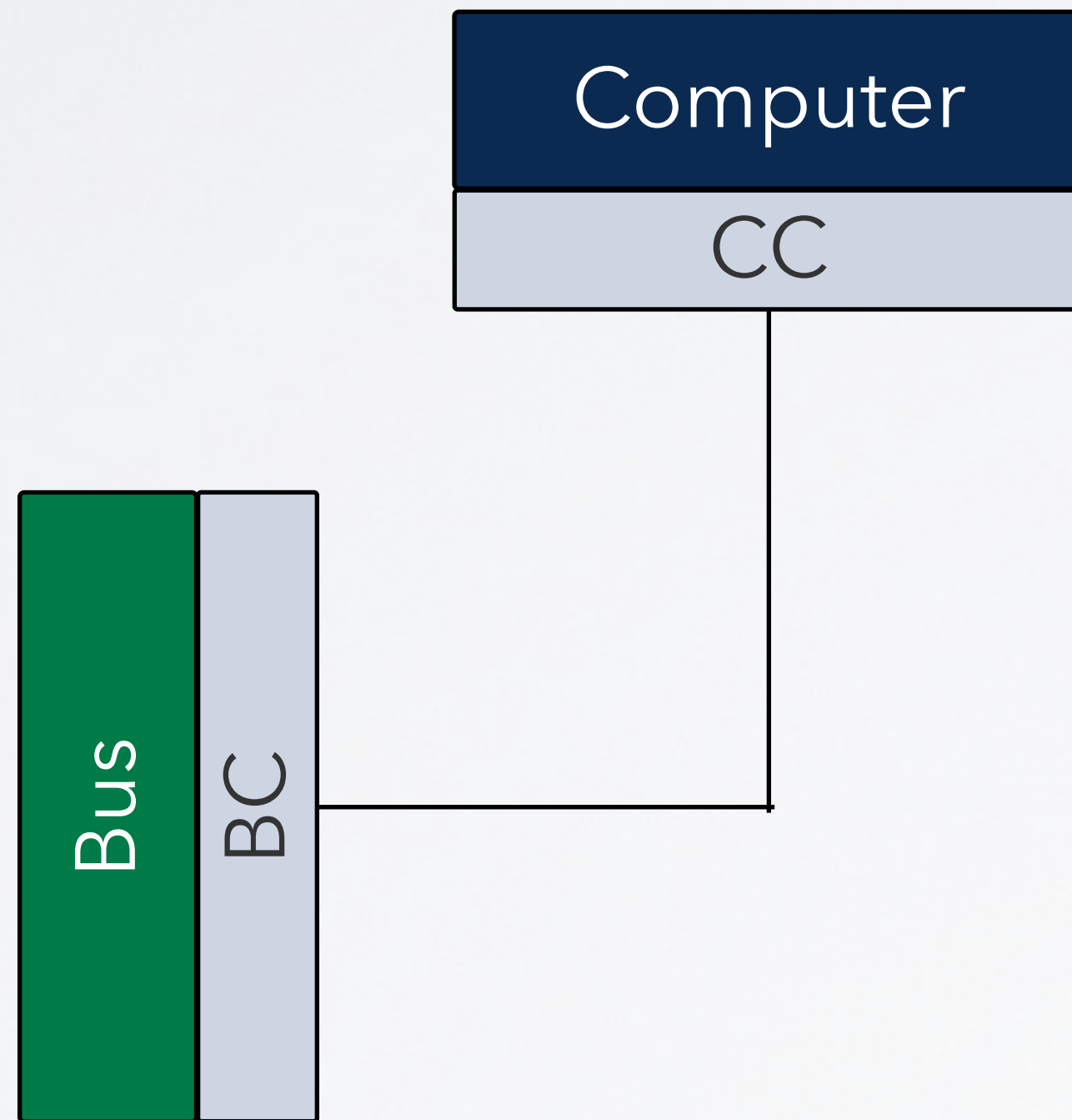


$$R_{whole} = 1 - \prod_{j=1}^m \left( 1 - \prod_{i=1}^n R_{i,j} \right)$$

## Parallel-Serial-Systems

(Pfitzmann/Härtig 1982)





## Fault Model

„Computer-Bus-Connector“

can fail such that Computer and/or Bus also fail

=>

conceptual separation of components into

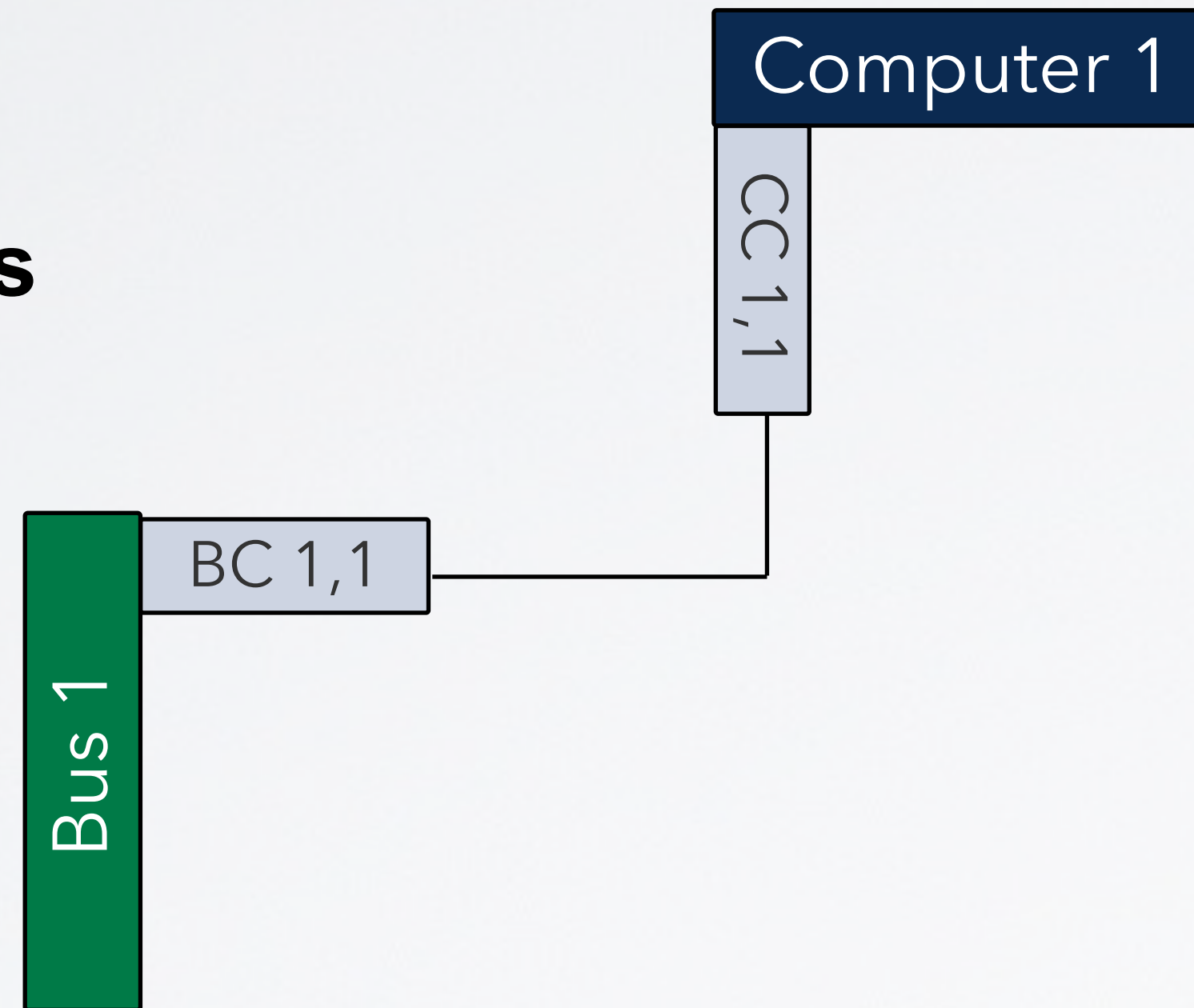
Computer, Bus: can fail per se

CC: Computer-Connector  
fault also breaks the Computer

BC: Bus-Connector  
fault also breaks Bus

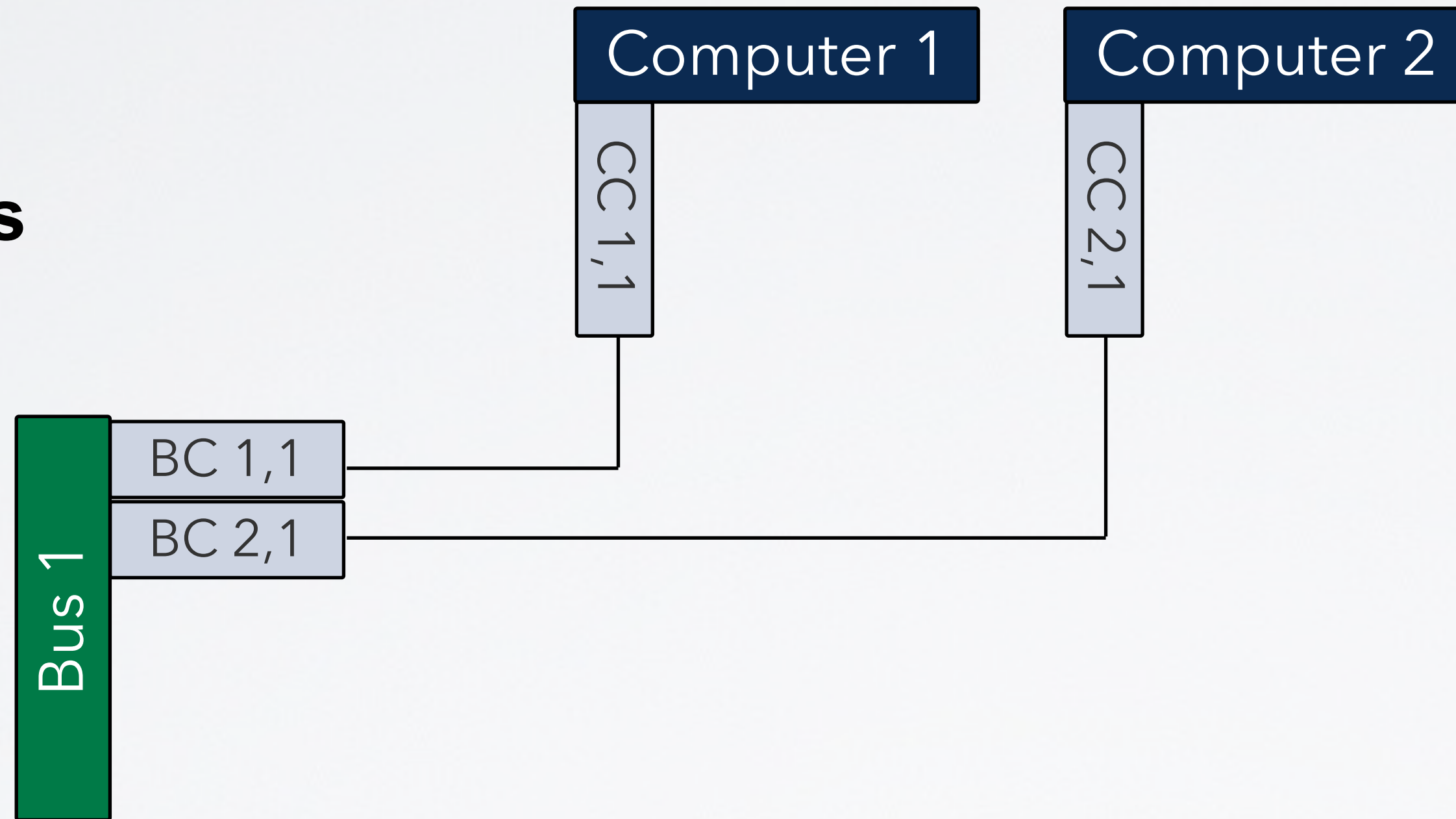
1 Buses

1 Computers



1 Buses

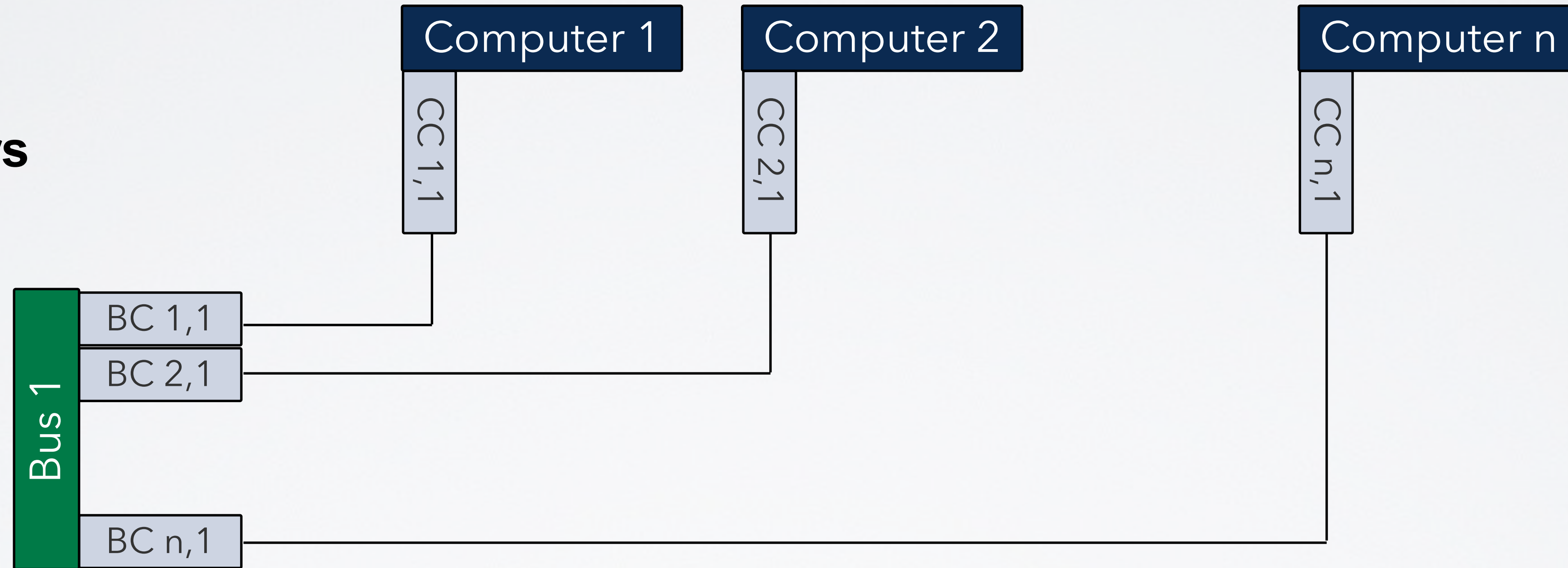
2 Computers



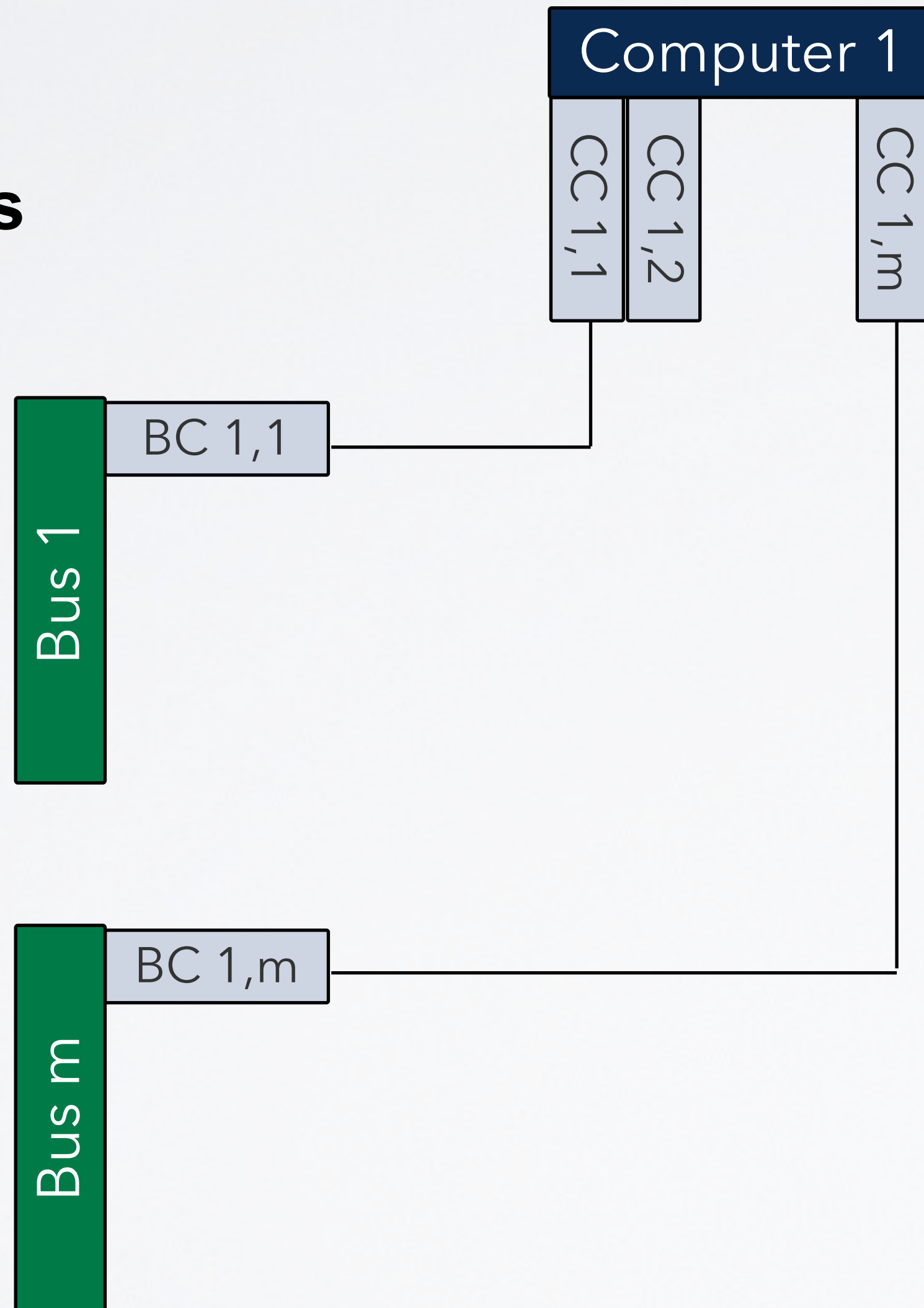


**1 Buses**

**N Computers**



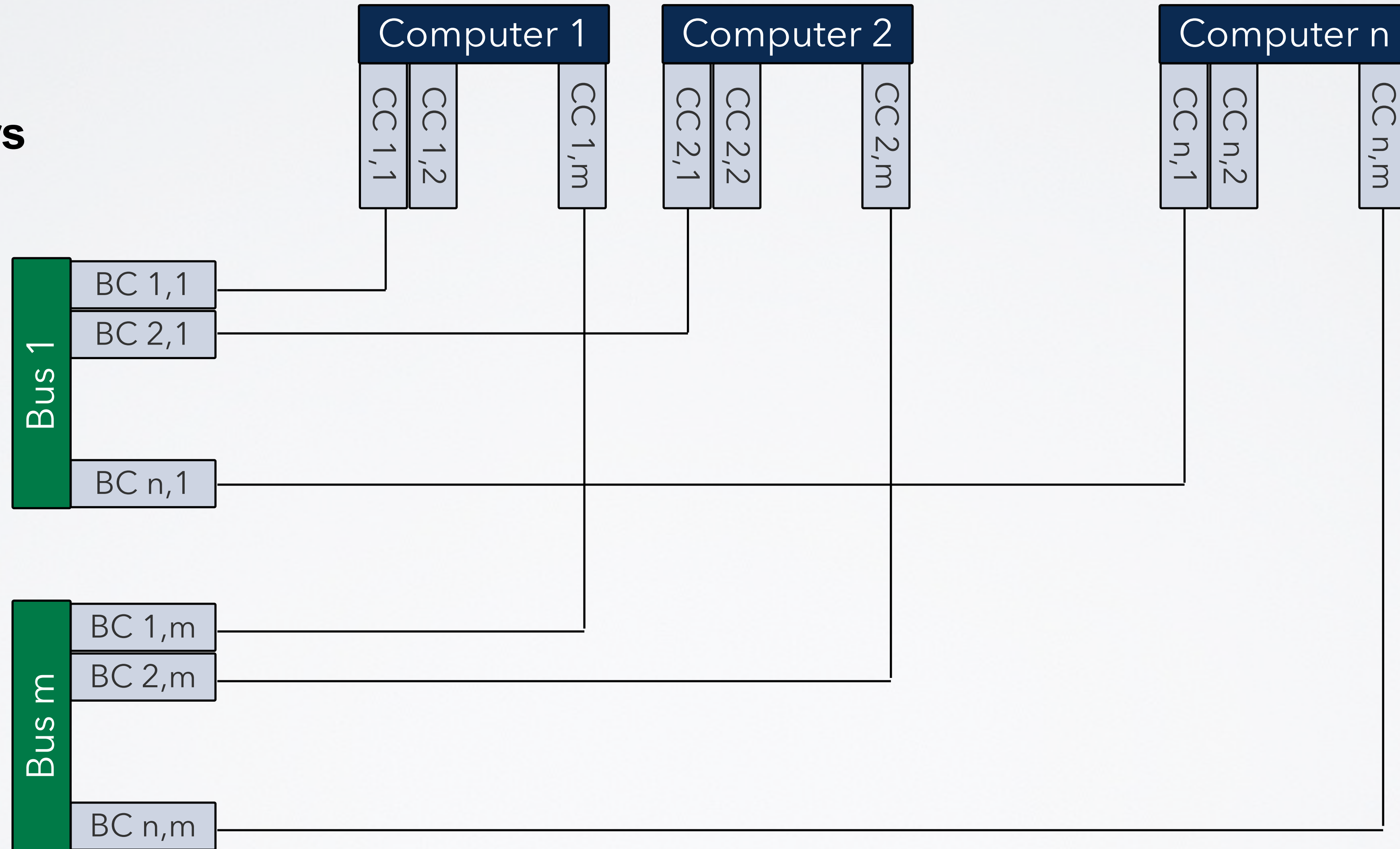
**M Buses**  
**1 Computers**



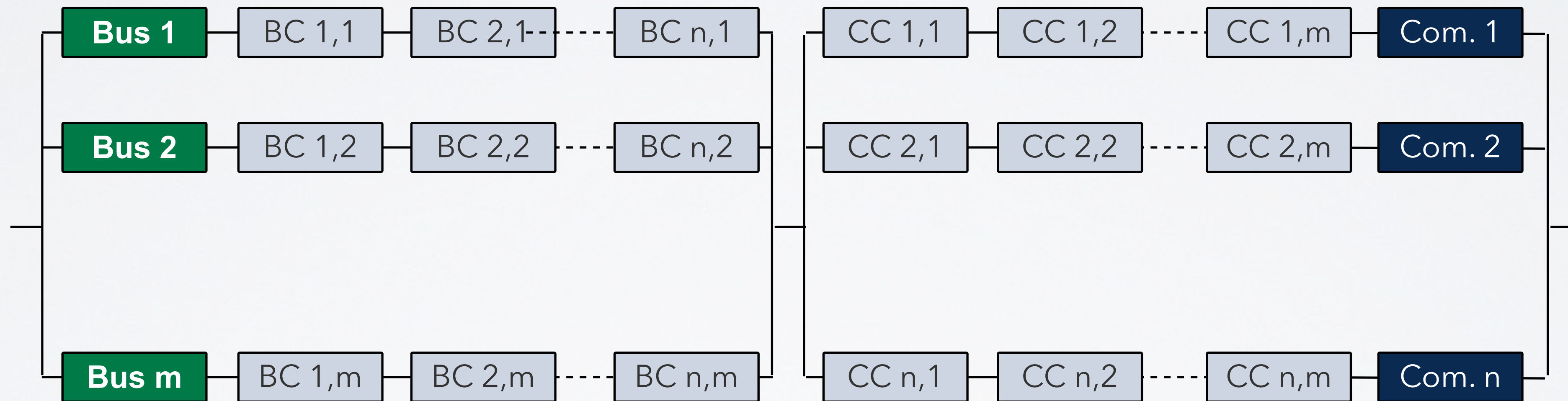
# Q1/MODEL1: CONCRETE MODEL

**M Buses**

**N Computers**



# Q1/MODEL1: CONCRETE MODEL FOR N,M



$$R_{whole}(n, m) = \left(1 - \left(1 - R_{Bus} \cdot R_{BC}^n\right)^m\right) \cdot \left(1 - \left(1 - R_{Computer} \cdot R_{CC}^m\right)^n\right)$$

$$\text{then: } R_{CC}, R_{BC} < 1: \lim_{n, m \rightarrow \infty} R(n, m) =$$

- System built of Synapses (John von Neumann, 1956)
- Computation and Fault Model :
  - Synapses deliver „0“ or „1“
  - Synapses deliver with  $R > 0,5$ :
    - with probability  $R$  correct result
    - with  $(1-R)$  wrong result
- Then we can build systems that deliver correct result for any (arbitrarily high) probability  $R$

- Q1: Is it possible to build arbitrarily reliable Systems out of unreliable components?
- Q2: Can we achieve consensus in the presence of faults (consensus: all non-faulty components agree on action)?
- Q3: Is there an algorithm to determine for a system with a given setting of access control permissions, whether or not a Subject A can obtain a right on Object B?

2 Models per Question !

Q2: Can we achieve consensus in the presence of faults  
all non-faulty components agree on action?

- all correctly working units agree on result/action
- agreement non trivial (based on exchange of messages)

- p,q processes
  - communicate using messages
  - messages can get lost
  - no upper time for message delivery known
  - do not crash, do not cheat
- p,q to agree on action (e.g. attack, retreat, ...)
- how many messages needed ?
- first mentioned: Jim Gray 1978



Result: there is no protocol with finite messages

Prove by contradiction:

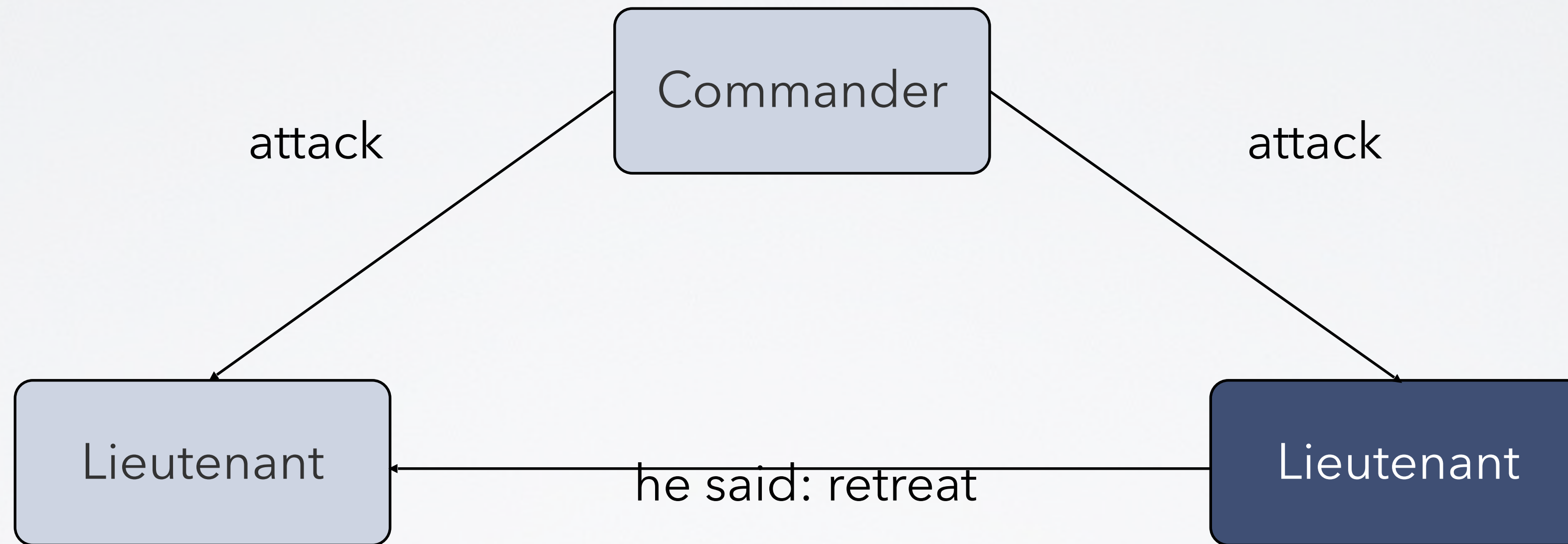
- assume there are finite protocols (  $mp \dashrightarrow q, mq \dashrightarrow p$  )\*
- choose the shortest protocol MP,
- last message MX:  $mp \dashrightarrow q$  or  $mq \dashrightarrow p$
- MX can get lost
- $\Rightarrow$  must not be relied upon  $\Rightarrow$  can be omitted
- $\Rightarrow$  MP not the shortest protocol.
- $\Rightarrow$  no finite protocol

$n$  processes,  $f$  traitors,  $n-f$  loyals

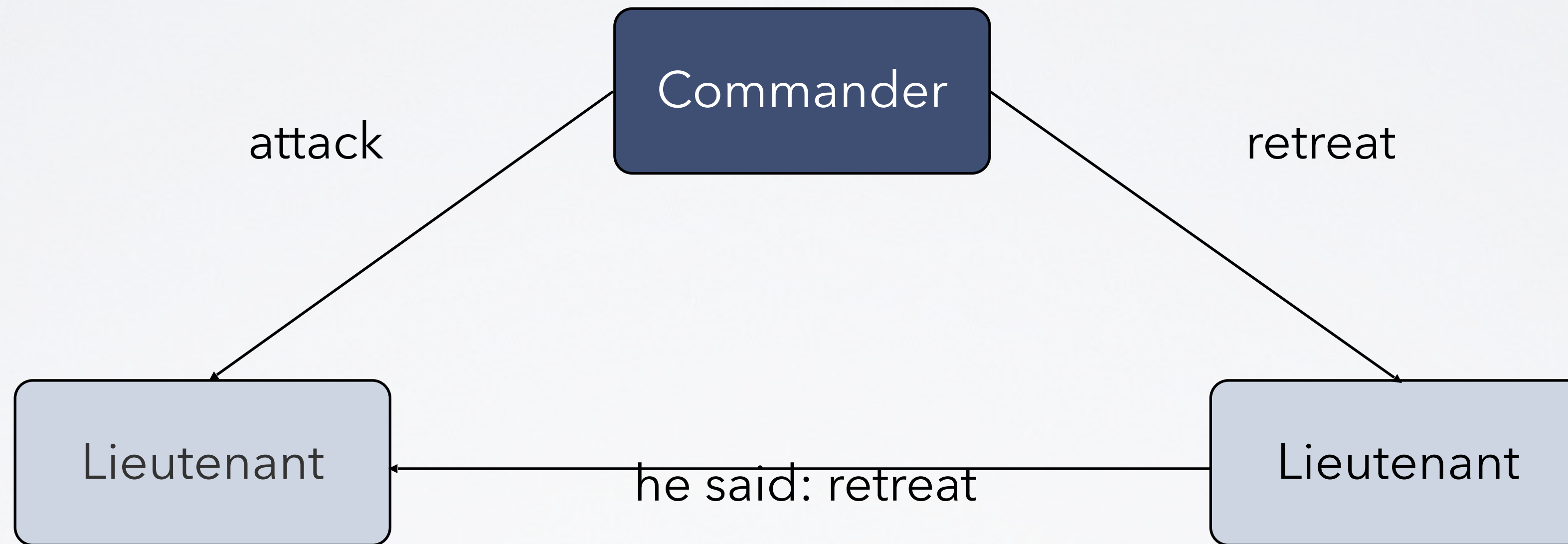
- communicate by reliable and timely messages (synchronous messages)
- traitors lie, also cheat on forwarding messages
- try to confuse loyals

## Goal:

- loyals try to agree on non-trivial action (attack, retreat)
- non-trivial more specific:
  - one process is commander
  - if commander is loyal and gives an order, loyals follow the order otherwise loyals agree on arbitrary action



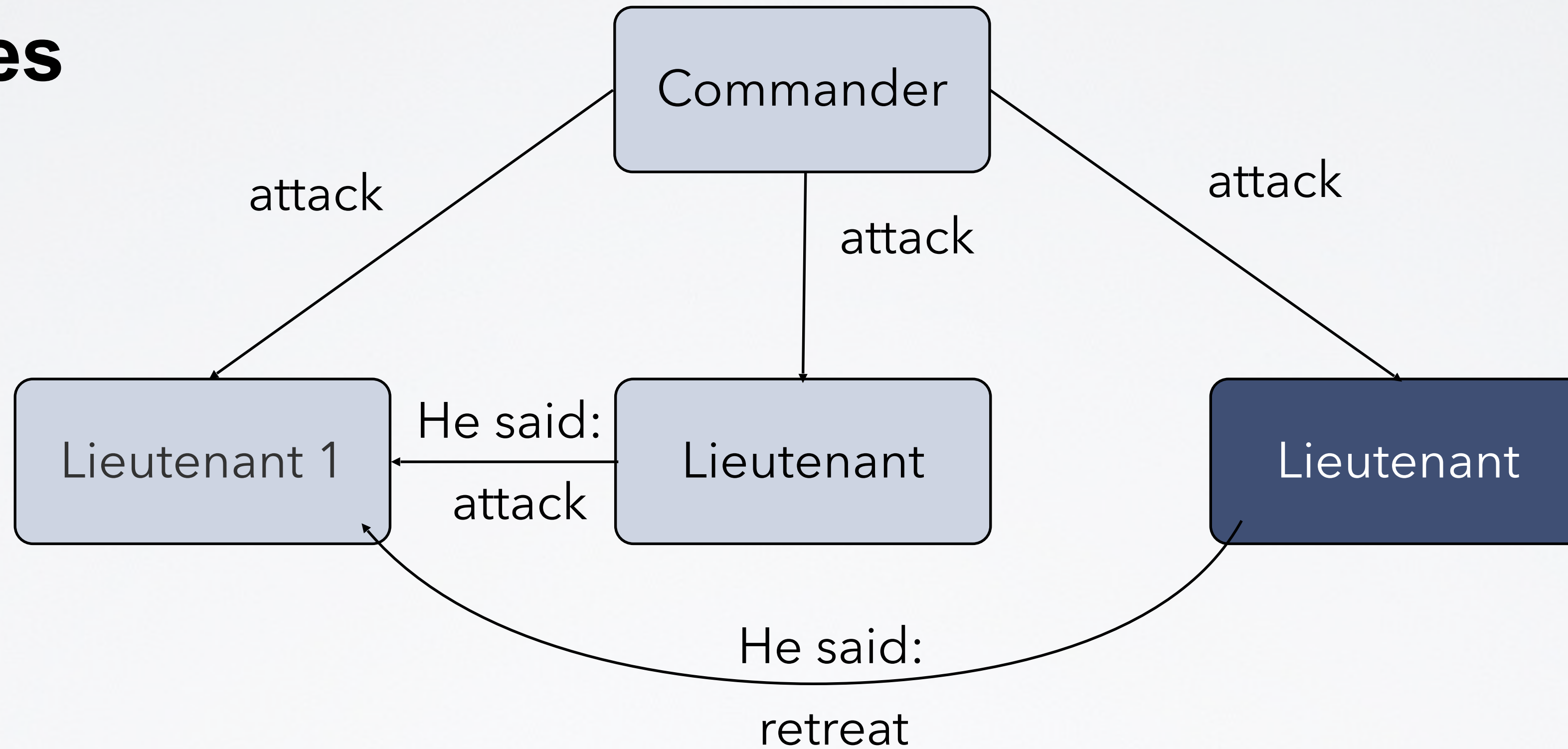
**3 Processes: 1 traitor, 2 loyals**



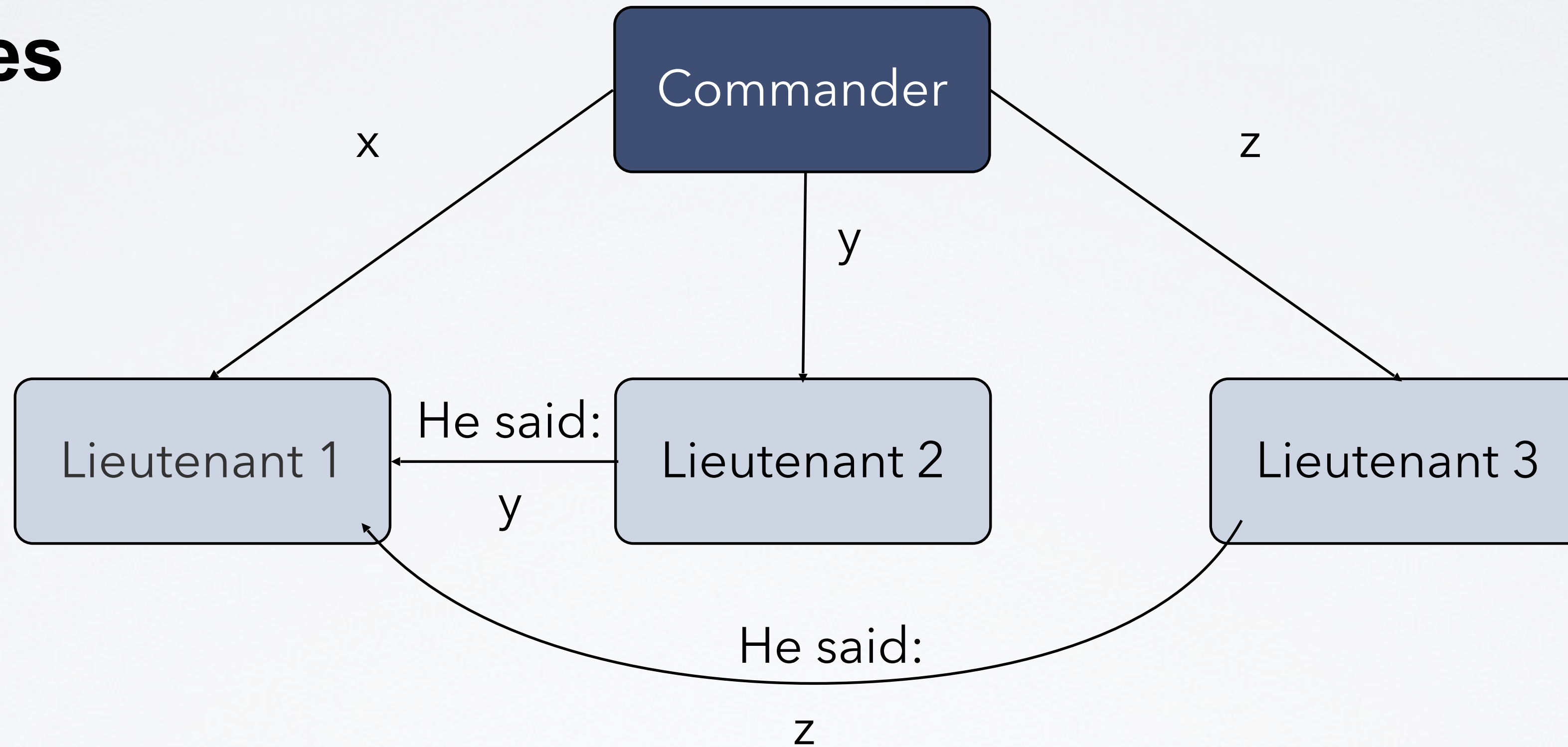
3 Processes: 1 traitor, 2 loyals

**=> 3 processes not sufficient to tolerate 1 traitor**

## 4 Processes



## 4 Processes



all lieutenant receive  $x, y, z \Rightarrow$  can decide

**General result:  $3f + 1$  processes needed to tolerate  $f$  traitors**

- Q1: Is it possible to build arbitrarily reliable Systems out of unreliable components?
- Q2: Can we achieve consensus in the presence of faults (consensus: all non-faulty components agree on action)?
- Q3: Is there an algorithm to determine for a system with a given setting of access control permissions, whether or not a Subject A can obtain a right on Object B?

2 Models per Question !



Q3: Is there an algorithm to determine for a system with a given setting of access control permissions, whether or not a Subject A can obtain a right on Object B?

- given a system of entities, acting as subjects and objects subjects performs operations on objects
- dynamic: subjects and objects are created and deleted
- access control permissions between entities can be changed according to some rules

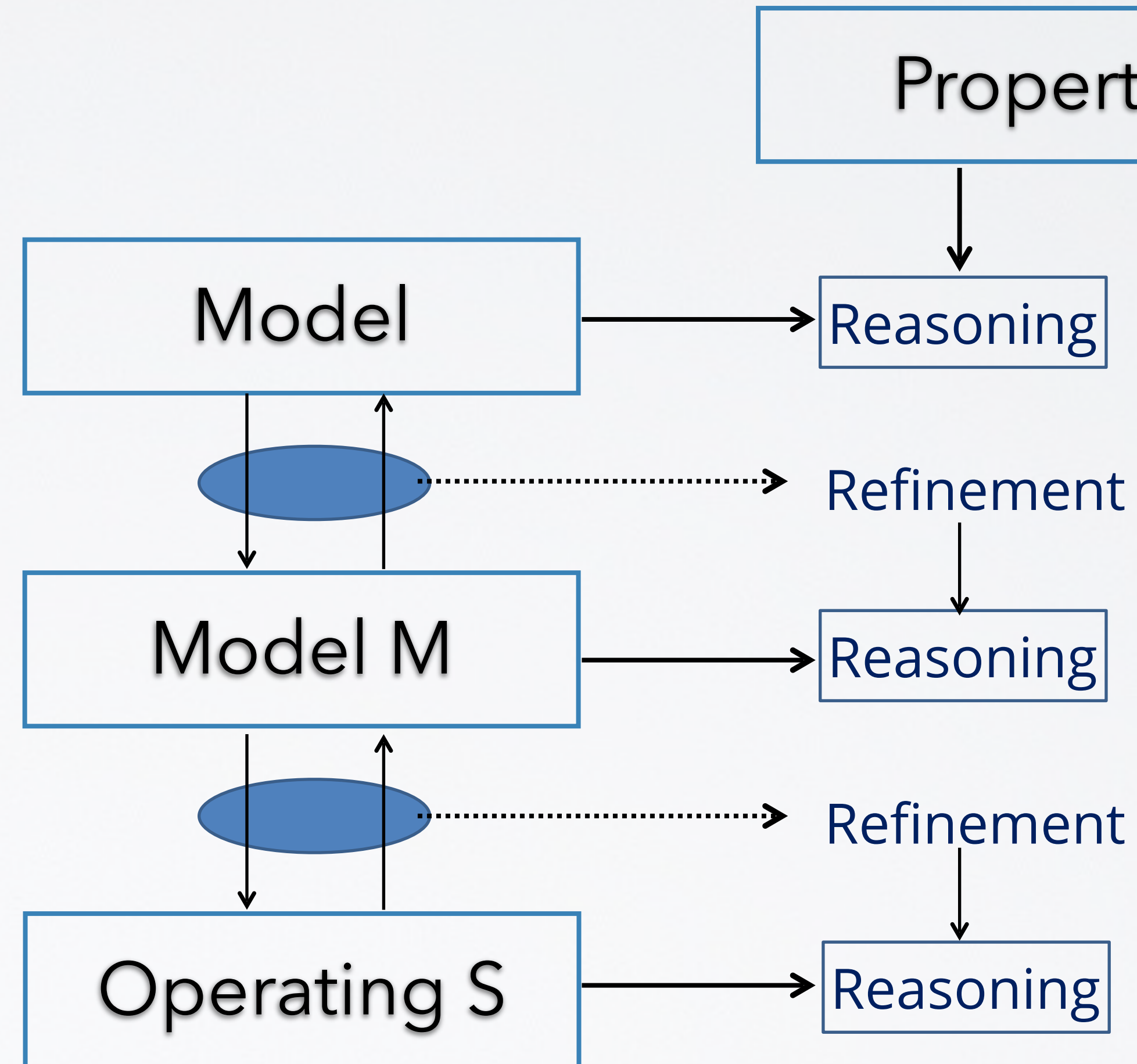
higher level models:

- Bell La Padula,
- Chinese wall

...

access control:

- 1) ACM-based operations
- 2) take grant



Subjects: S

Objects: O

Entities:  $E = S \cup O$

Rights: {read, write, own,...}

Matrix:  $S \times E \times R$

	O1	O2	S1	S2	S3
S1	r,w,own	r,w	r,w,own	--	r,w
S2	r,w	r,w,own	-	r,w,own	r
S3	r,w	r	w	--	r,w,own

Simple ACM Operations:

enter / delete R into cell (s,o)

create subject / object

destroy subject / object

## ACM

- Access Control List (ACL)

	O1	O2	S1	S2	S3
S1	r,w,own	r,w	r,w,own	--	r,w
S2	r,w	r,w,own	-	r,w,own	r
S3	r,w	r	w	--	r,w,own

- Capabilities

	O1	O2	S1	S2	S3
S1	r,w,own	r,w	r,w,own	--	r,w
S2	r,w	r,w,own	-	r,w,own	r
S3	r,w	r	w	--	r,w,own

- Define Protection Mechanisms of an Operating System in terms of sequences of simple ACM operations
- only such defined mechanism provided by the OS can be used to manipulate ACM

- "Leakage":
  - an access right is placed into S/O that has not been there before
  - it does not matter whether or not that is allowed
- Is leakage decidable ?

Define OS-Mechanisms by simple ACM-Operations:

example:

UNIX create file (S1,F)

create object

enter own into A(S1,F)

enter read into A(S1,F)

enter write into A(S1,F)

	O1	O2	S1	S2	F
S1	r,w,own	r,w	r,w,own	--	r,w, own
S2	r,w	r,w,own	-	r,w,own	-
S3	r,w	r	w	--	-

## Example:

UNIX chmod -w (S2,F)

if own  $\in A(\text{caller}, F)$

then delete w in  $A(S2, F)$

	O1	O2	S1	S2	F
S1	r,w,own	r,w	r,w,own	--	r,w, own
S2	r,w	r,w,own	-	r,w,own	r,-
S3	r,w	r	w	--	-

Q3:

Given an OS with a ACM-based description of protection mechanisms is "Leakage" decidable for any  $R$  in  $A(x,y)$  ?



## Decidable

- no subjects/objects can be created
- or
- only **one** primitive ACM operation per OS-Mechanism  
by exhaustive search !

## Q3 in general:

- undecidable (proof: reduction to Turing machine)

## ACM

- Access Control List (ACL)

	O1	O2	S1	S2	S3
S1	r,w,own	r,w	r,w,own	--	r,w
S2	r,w	r,w,own	-	r,w,own	r
S3	r,w	r	w	--	r,w,own

- Capabilities

	O1	O2	S1	S2	S3
S1	r,w,own	r,w	r,w,own	--	r,w
S2	r,w	r,w,own	-	r,w,own	r
S3	r,w	r	w	--	r,w,own

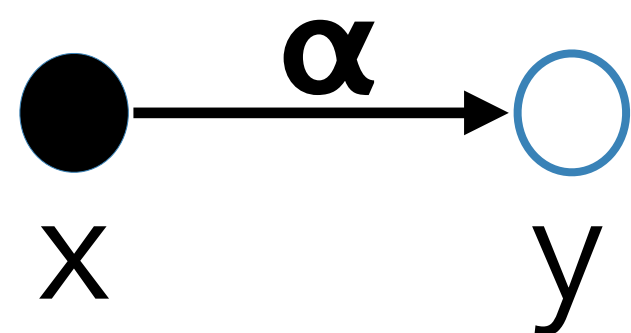
## Directed Graph:

Subjects: ●

Objects: ○

Either S or O: ⊗

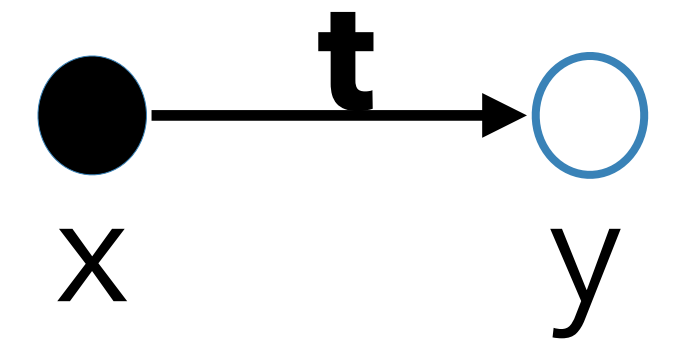
x has capability on Y  
with set of rights  $\alpha$  on y:



**t** take right

x has cap with set of rights

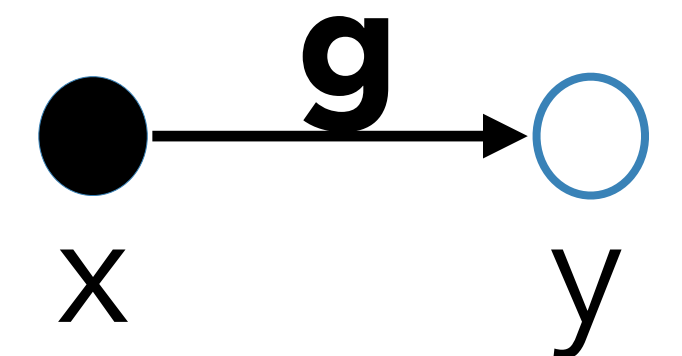
$\tau$  that includes t



**g** grant right

x has cap with set of rights

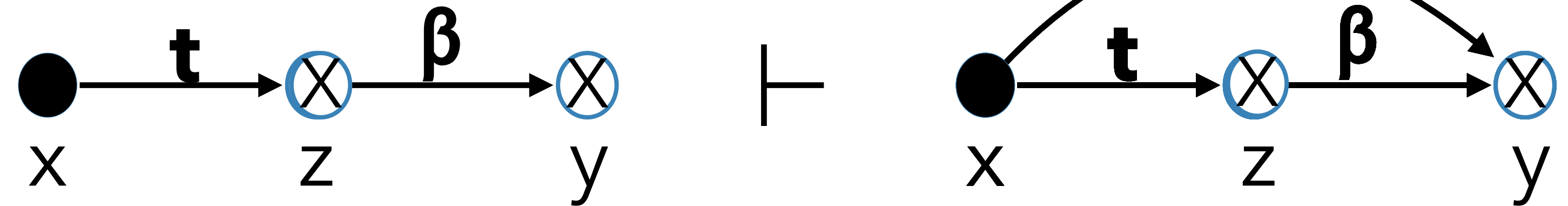
$\gamma$  that includes **g**



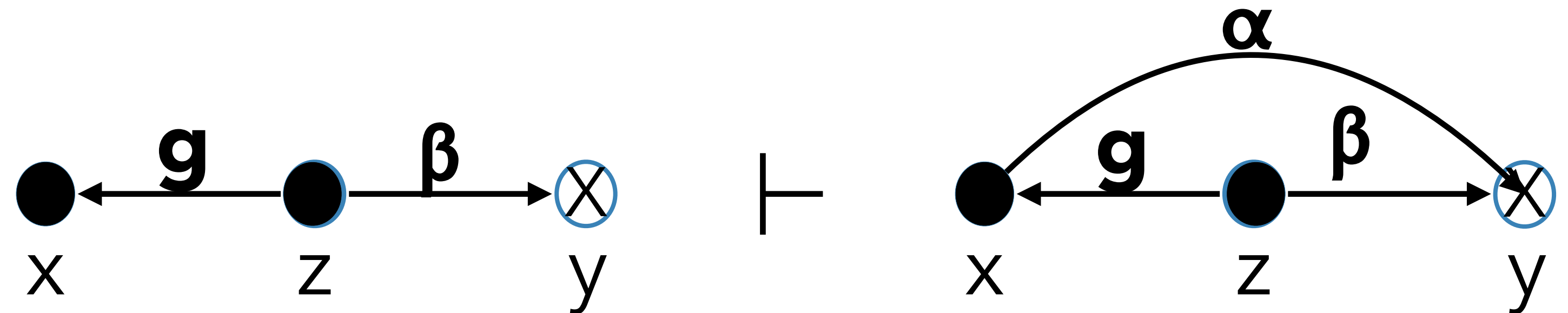
## Rules:

take rule ( $\alpha \subseteq \beta$ )

a takes ( $\alpha$  to  $y$ ) from  $z$



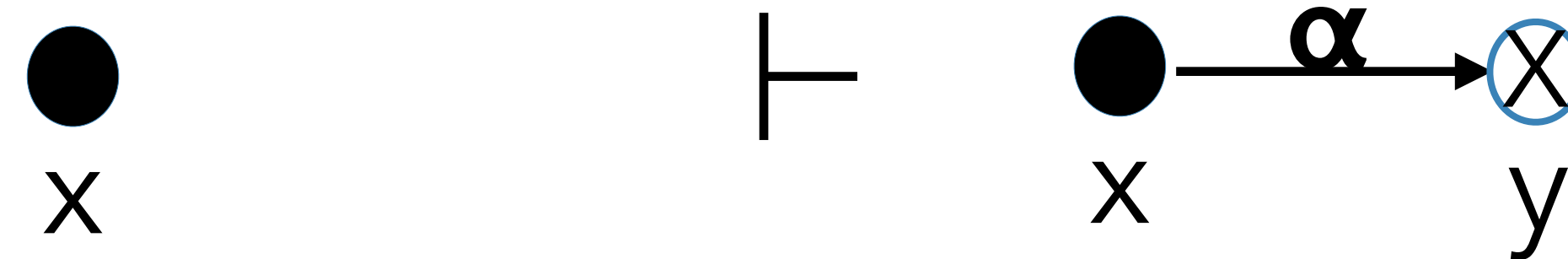
grant rule ( $\alpha \subseteq \beta$ )



## Rules:

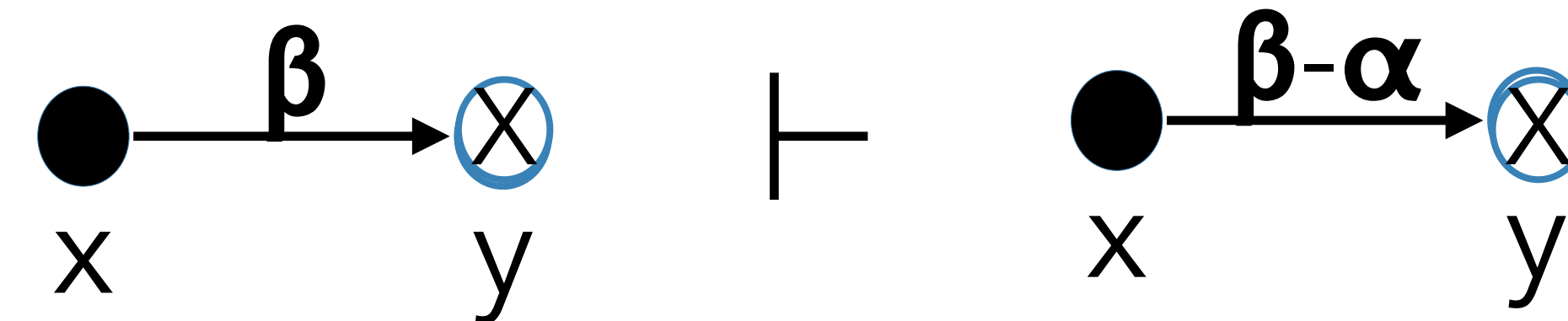
create rule

x create ( $\alpha$  to new vertex) y



remove rule

x removes ( $\alpha$  to) y



CanShare( $\alpha, x, y, G_0$ ):

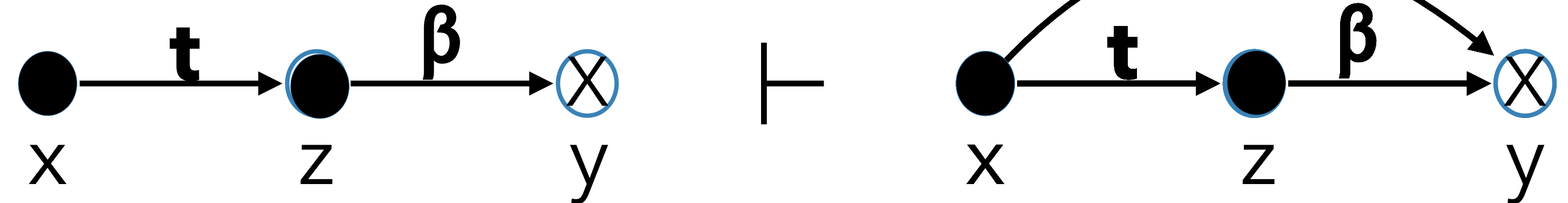
there exists a sequence of  $G_0 \dots G_n$  with  $G_0 \vdash^* G_n$

and there is an edge in  $G_n$ : 

# Q3/ 2: CAREFUL: LEMMA

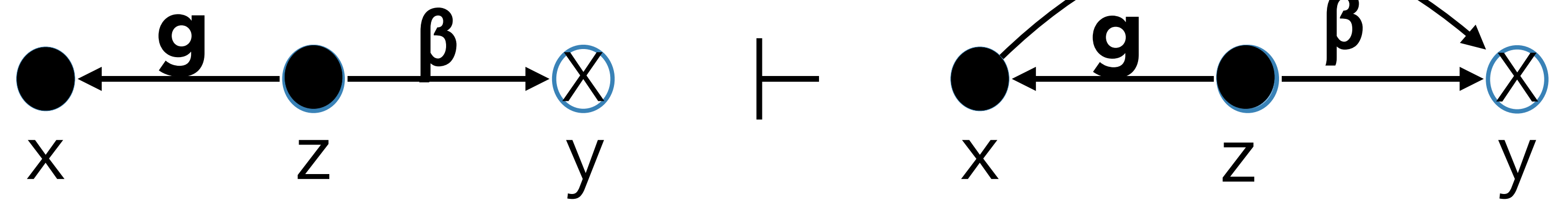
take rule ( $\alpha \subset \beta$ )

a takes ( $\alpha$  to  $y$ ) from  $z$

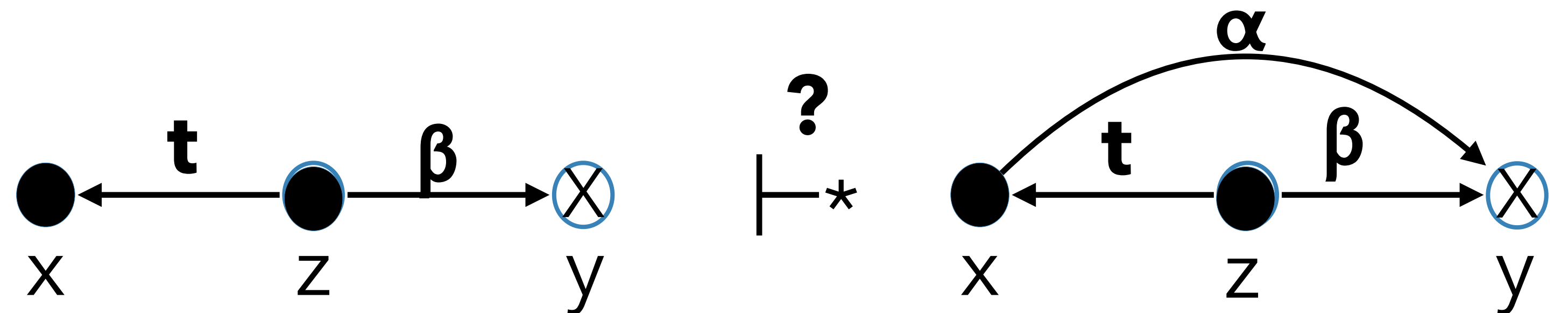


grant rule ( $\alpha \subset \beta$ )

$z$  grants ( $\alpha$  to  $y$ ) to



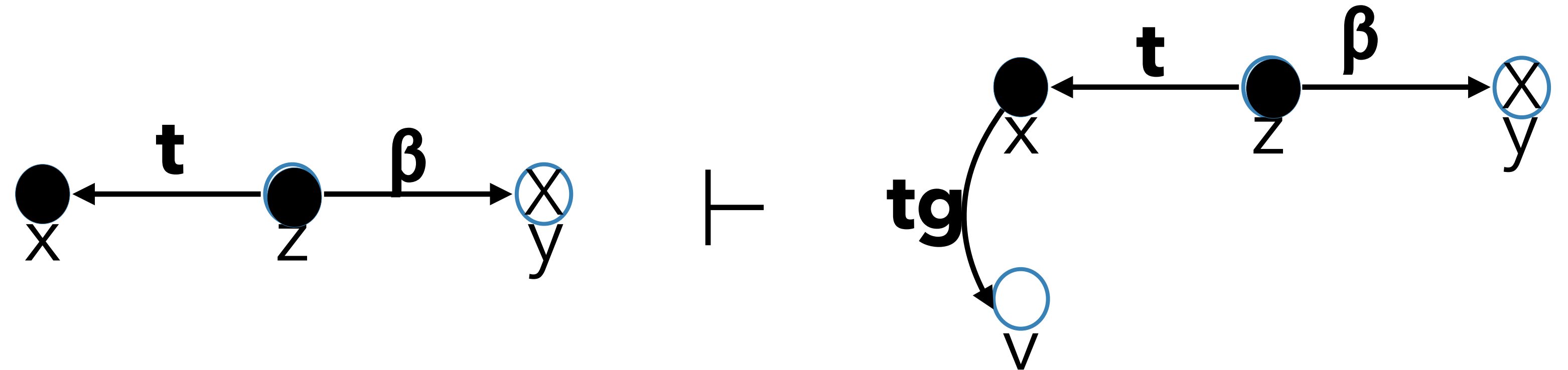
Question:



# Q3/ 2: CAREFUL: LEMMA

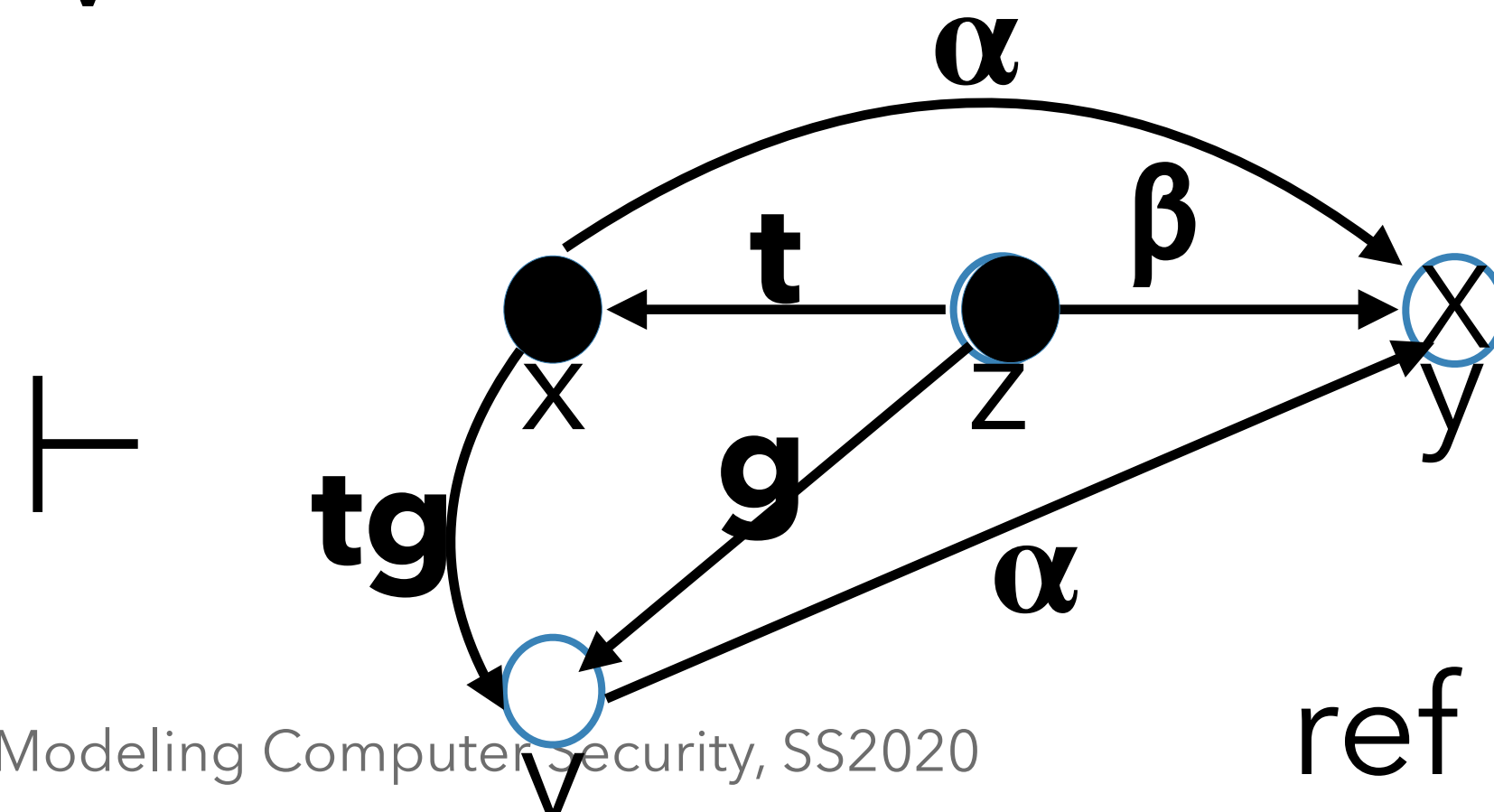
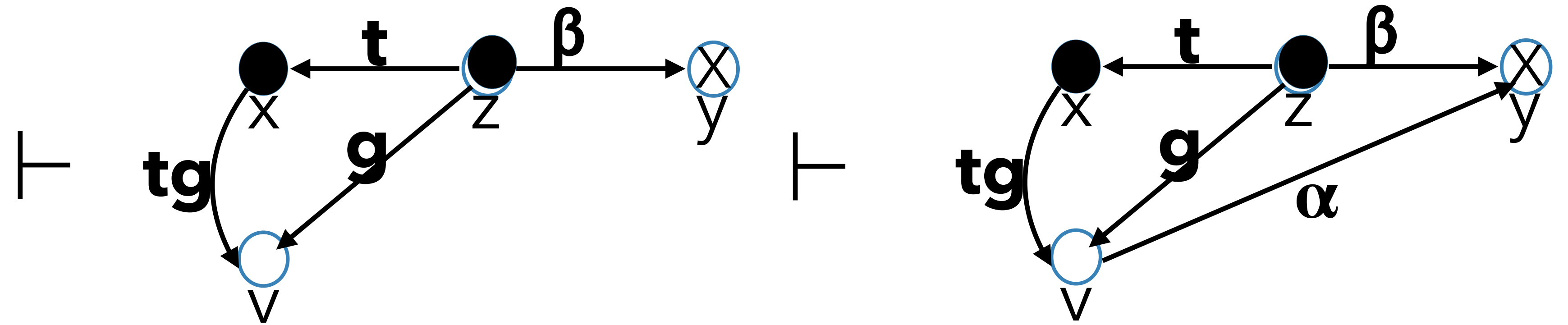
$(\alpha \subset \beta)$

create rule



z takes (g to v) from x

z grants ( $\alpha$  to y) to v



ref MB: chapter 3.3



CanShare( $\alpha, x, y, G_0$ ):

there exists a sequence of  $G_0 \dots G_n$  with  $G_0 \vdash^* G_n$

and there is an edge: 

**CanShare decidable in linear time !**

- three questions, 2 models per question, different answers !!!
- modeling is powerful
- need to look extremely carefully into understanding  
models !!!

- Q1/M1:

Pfitzmann A., Härtig H. (1982) Grenzwerte der Zuverlässigkeit von Parallel-Serien-Systemen. In: Nett E., Schwärtzel H. (eds) Fehlertolerierende Rechnersysteme. Informatik-Fachberichte, vol 54. Springer, Berlin, Heidelberg (in German only)

- Q1/M2:

John v. Neuman, PROBABILISTIC LOGICS AND THE SYNTHESIS OF RELIABLE. ORGANISMS FROM UNRELIABLE COMPONENTS.

- Q2: most textbooks on distributed systems

- Q3: textbook: Matt Bishop, Computer Security, Art and Science, Addison Wesley 2002